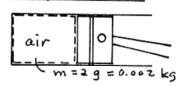
PROBLEM 9.11

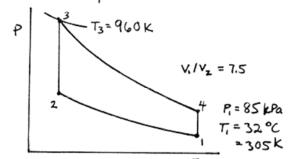
FIND:

An air-standard Otto cycle has a known compression ratio and a specified state at the beginning of compression. The heat addition and the maximum cycle temperature are given.

Defermine (a) the heat rejection, (b) the net work, (c) the thermal efficiency, and (d) the mean effective pressure.

SCHEMATIC & GIVEN DATA:





ENGINEERING MODEL: See Example 9.1.

ANALYSIS: From the given data, T, = 305k; u, = 217,67 kJ/kg, vr, = 596.0 Also, for To = 960 k; U3 = 725.02 kJlkg, Urz = 28,40. For the isentropic compression

Thus, T= 367.4 K, uz = 486.77 kJ lkg. Similarly, for the expansion

Thus, Ty = 458,7 K, uy = 329,01 kJ/kg.

(a) Consider an energy balance for process 2-3

and, for process 4-1

(b) The network is

Wagale = 923-Q4, = 0.4765-0.2227 =0.2538 kJ

(1) The thermal efficiency is

(d) To determine the mean effective pressure, first find V,
$$V_{i} = \frac{mRT_{i}}{P_{i}} = \frac{(0.002 \text{ kg})(\frac{8.314}{28.97} \frac{\text{kJ}}{\text{kg·K}})(305 \text{K})}{(85 \text{ kPa})} \frac{|\text{LkPa}|}{|\text{10}^{3} \text{N/m}^{2}} \frac{|\text{10}^{3} \text{N·m}|}{|\text{LkJ}} = 2.06 \times 0^{-3} \text{m}^{3}$$

Thus
$$me_{p} = \frac{W_{cycle}}{V_{i}-V_{z}} = \frac{W_{cycle}}{V_{i}(1-V_{z}(V_{i}))} = \frac{(0.7538 \text{ kT})}{(2.06 \text{ xio}^{-3}\text{m}^{3})(1-V_{7,5})} \left| \frac{10^{3} \text{ N·m}}{1 \text{ kT}} \right| \frac{1 \text{ kPa}}{10^{3} \text{ N/m}^{2}}$$

$$= 142.2 \text{ kPa} = \frac{(0.7538 \text{ kT})}{(2.06 \text{ xio}^{-3}\text{m}^{3})(1-V_{7,5})} \left| \frac{10^{3} \text{ N·m}}{1 \text{ kT}} \right| \frac{1 \text{ kPa}}{10^{3} \text{ N/m}^{2}}$$